

- 1. Course ID and Number: MATH 50B
- 2. Course Title: Integral Calculus
- 3. Check one of the following:

New Course (If the course constitutes a new learning experience for CR students, the course is new)
Required - Justification for Need (Provide a brief description of the background and rationale for the course. This might include a
description of a degree or certificate for which the course is required or the relationship of this course to other courses in the
same or other disciplines. To see examples of such descriptions, consult pages 10-11 of The Course Outline of Record: A
Curriculum Reference Guide

Updated/Revised Course

If curriculum has been offered under a different discipline and/or name, identify the former course:

Should another course be inactivated? No 🛛 Yes 🗌 Inactivation date:

Title of course to be inactivated:

(If yes, attach a completed Course Inactivation Form found on the Curriculum Website.)

- If this is an update/revision of an existing course, provide explanation of and justification for changes to this course. Be sure to explain the reasons for any changes to class size, unit value, and prerequisites/corequisites.
 Course Outline needs updated wording in order to match C-ID standards more clearly and explicitly, especially course learning outcomes and skills list.
- List the faculty with which you consulted in the development and/or revision of this course outline: Faculty Member Name(s) and Discipline(s): David Arnold, Michael Butler, Mike Haley, Steven Jackson, Tami Matsumoto, Todd Olsen, Richard Ries, Bruce Wagner, Jon Pace, Kevin Yokoyama (all Mathematics)
- If any of the features listed below have been modified in the new proposal, indicate the "old" (current) information and "new" (proposed) changes. If a feature is not changing, leave both the "old" and "new" fields blank.

FEATURES		OLD	NEW
	Course Title		
	TOPS/CIPS Code		
	Catalog Description (Please include complete text of old and new catalog descriptions.)		
	Grading Standard	Select	Select
	Total Units		
	Lecture Units		
	Lab Units		
	Prerequisites		
	Corequisites		
	Recommended Preparation		
	Maximum Class Size		
	Repeatability— Maximum Enrollments	Select	Select
\square	Other		Updated:

		Course Learning Outcomes Skills			
		to better match the C-ID descriptor			
1. DATE: 4/15/14					
2. DIVISION: Math, Science, and Eng	ineering				
3. [CB01] COURSE ID AND NUMBER: M	IATH 50B				
4. [CB02] COURSE TITLE: Integral Calc (Course title appears in Catalog and sche					
5. SHORT TITLE: Integral Calculus (Short title appears on student transcript	ts and is limited to 30 characters, including space	es.)			
6. [CB03] LOCAL ID (TOPS): 170100 1	axonomy of Program Codes				
7. NATIONAL ID (CIP): 27.0101 Classifi	cation of Instructional Program Codes				
8. DISCIPLINE(S): Mathematics <u>Select</u> Course may fit more than one discip	from Minimum Qualifications for Faculty line; identify all that apply:				
9. FIRST TERM NEW OR REVISED COUP	RSE MAY BE OFFERED: Fall 2014				
TOTAL UNITS: 4 4 [CB07] [G min. units m TOTAL HOURS: 72 7	[CB07] min. units[CB06] max. unitsTOTAL HOURS:7212LECTURE HOURS:72LAB HOURS:0				
11. MAXIMUM CLASS SIZE: 40					
12. WILL THIS COURSE HAVE AN INSTRU If yes, attach a completed Instructional	JCTIONAL MATERIALS FEE? No 🛛 Ye Materials Fee Request Form found on the Curri	s Eee: \$ iculum Website.			
GRADING STANDARD					
	lo Pass Only Grade-Pass/No	· <u> </u>			
[CB12] Is this course a repeatable lab c		otal enrollments? Select			
Is this course to be offered as part of the If yes, explain how honors sections of the If yes, explain how honors yes are If yes are how honors yes are If yes are how honors yes are how honors yes are If yes are how honors If yes are how hon ho	ne Honors Program? No 🔀 Yes 🛄 e course are different from standard section	ns.			
	escription should clearly describe for students th . The catalog description should begin with a ser	ne scope of the course, its level, and what kinds of network network in the network of network in the network o			
The second in the series of three calculus courses. Integral Calculus develops a set of advanced symbolic and numerical integration techniques, building on skills developed in the first course in the series, Differential Calculus. The course includes applications of integration, sequences and series, and the use of the Taylor polynomial to approximate functions. Students are introduced to parametric and polar equations. Special Notes or Advisories (e.g. Field Trips Required, Prior Admission to Special Program Required, etc.): A graphing calculator is required.					
PREREQUISITE COURSE(S)					
No 🗌 Yes 🛛 Course	e(s): MATH 50A				

Rationale for Prerequisite: Sequential course

Describe representative skills without which the student would be highly unlikely to succeed. **Students must be well**grounded in the art and theory of differentiation in order to be successful in this course. Students must be able to

differentiate a variety of mathematical functions by hand, including functions involving trigonometric, logarithmic, exponential, and power functions.

COREQUISIT	E COURSE(S)				
No 🖂	Yes 🗌	Course(s):			

No X Yes Rationale for Corequisite:

RECOMMENDED PREPARATION

No 🛛 Yes 🗌 Course(s):

Rationale for Recommended Preparation:

COURSE LEARNING OUTCOMES – This section answers the question "what will students be able to <u>do</u> as a result of taking this course?" State some of the objectives in terms of specific, measurable student actions (e.g. discuss, identify, describe, analyze, construct, compare, compose, display, report, select, etc.). For a more complete list of outcome verbs please see Public Folders>Curriculum>Help Folder>SLO Language Chart. Each outcome should be numbered.

1. Evaluate definite and indefinite integrals using a variety of integration formulas and techniques including the evaluation of improper integrals.

- 2. Apply integration to areas and volumes, and other applications such as work or length of a curve.
- 3. Apply convergence tests to sequences and series and represent functions as power series.
- 4. Graph, differentiate and integrate functions in polar and parametric form.

COURSE CONTENT-This section describes what the course is "about"-i.e. what it covers and what knowledge students will acquire

<u>Concepts</u>: What terms and ideas will students need to understand and be conversant with as they demonstrate course outcomes? **Each concept should be numbered.**

- 1. The use of the graphing calculator and/or mathematical software as a fundamental problem-solving tool.
- 2. The presentation of mathematical solutions in a logical coherent structure, including the use of fundamental writing skills, grammar, and punctuation.
- 3. Limits and their role in the major theorems in calculus.
- 4. Continuity and its role in the major theorems in calculus.
- 5. Differentiation and its role in the major theorems in calculus.
- 6. Integration and its role in the major theorems in calculus.
- 7. Sequences and series and their role in the major theorems in calculus.
- 8. Differential equations and their role in the major theorems in calculus.
- 9. The Fundamental Theorem of Calculus and its role in the major theorems in calculus.
- 10. Mathematical modeling and its role in the major theorems in calculus.

Issues: What primary tensions or problems inherent in the subject matter of the course will students engage? **Each issue should be numbered.**

- **1**. The appropriate use of technology in the problem-solving process.
- 2. The connection between mathematics and the real world.
- 3. The role of the student in becoming a successful learner.

4. The recognition that the problem-solving skills learned in this class are applicable in future mathematics classes and classes in related fields, such as physics, engineering, etc.

Themes: What motifs, if any, are threaded throughout the course? **Each theme should be numbered.**

- 1. Problem solving.
- 2. Writing.
- 3. Technology.
- 4. Communication.

Skills: What abilities must students have in order to demonstrate course outcomes? (E.g. write clearly, use a scientific calculator, read college-level texts, create a field notebook, safely use power tools, etc). **Each skill should be numbered.**

1. Integration

• Use techniques in numerical integration, including the trapezoidal method and Simpson's rule, to estimate the value of a definite integral.

• Calculate integrals using techniques including: o integration by parts, o trigonometric integrals, o trigonometric substitution, o partial fraction decomposition, o improper integrals.

- Use integration to find: o area between curves, o volume of solids and volume of a solid of revolution.
- Use integration to solve real-world applications.
- Demonstrate the fundamental relationship between the derivative and the integral.
- 2. Sequences and series
- Introduction to sequences and series.
- Determine convergence of sequences.
- Compute the limit of a sequence, using limit laws and theorems.
- Find the sum of a series as a limiting value of a sequence of partial sums.
- Determine convergence of infinite series, by using tests, including: o integral test,
 - o comparison test,
 - o limit comparison test,
 - o alternating series test,
 - o ratio test,
 - o root test.
- Determine whether a series converges absolutely or conditionally.
- Find the radius of convergence and interval of convergence of a power series.
- Represent functions as power series.
- Create new power series, by using: o multiplication and division, o differentiation, o integration.
- Use Taylor Polynomials to approximate functions, and calculate the remainder term.
- 3. Parametric and polar equations
- Sketch the graphs of equations in polar or parametric form: o by hand,
 - o using graphing technology.
- Convert a variety of equations in Cartesian form into polar form, and vice-versa.
- Construct a set of parametric equations that produce a given geometric locus or path.
- Calculus with parametric curves
- Polar curves and calculus in polar coordinates
- 4. Applications such as:
- work,
- arc length,
- area of a surface of revolution,
- moments and centers of mass,
- separable differential equations,
- growth and decay.

REPRESENTATIVE LEARNING ACTIVITIES –*This section provides* <u>*examples*</u> of things students <u>may</u> do to engage the course content (e.g., listening to lectures, participating in discussions and/or group activities, attending a field trip). These activities should relate directly to the Course Learning Outcomes. **Each activity should be numbered.**

- 1. Listening to lectures.
- 2. Participating in group activities and/or assignments.
- 3. Participating in class assignments and/or discussions.

4. Completing homework assignments.

5. Using the graphing calculator and/or mathematical software to complete activities designed to foster a deeper level of understanding of the concepts and skills developed in this class.

ASSESSMENT TASKS – This section describes assessments instructors may use to allow students opportunities to provide evidence of achieving the Course Learning Outcomes. **Each assessment should be numbered.**

Representative Assessment Tasks (These are examples of assessments instructors could use.):

1. Take-home examinations and/or quizzes allow the instructor to include questions and/or exercises that require the use of the graphing calculator and/or mathematical software to supplement the analysis. Extra time allows the students to develop their writing and presentation skills.

- 2. Writing assignments designed to develop communication of mathematical concepts.
- 3. Group and/or individual projects and presentations.

Required Assessments for All Sections (These are assessments that are required of all instructors of all sections at all campuses/sites. Not all courses will have required assessments. Do not list here assessments that are listed as representative assessments above.):

- 1. Homework assignments.
- 2. In class examinations/quizzes (two options):
- Option 1) At least two one-hour, closed book, in class midterm examinations, plus a comprehensive, closed book, in-class final examination.

 (Option 2) At least one one-hour, closed book, in class midterm examination, plus the equivalent of a one-hour midterm examination in the form of in-class, closed-book quizzes; plus a comprehensive, closed-book, in-class final examination.

EXAMPLES OF APPROPRIATE TEXTS OR OTHER READINGS – This section lists <u>example</u> texts, not required texts.

Author, Title, and Date Fields are required

Author Stewart Title Calculus, Early Transcendentals, Seventh Edition Date 2012

 Author
 Title
 Date

 Author
 Title
 Date

 Author
 Title
 Date

Other Appropriate Readings:

COURSE TYPES

1. Is the course part of a Chancellor's Office approved **CR Associate Degree**? No Xes

If yes, specify all program codes that apply. (Codes can be found in Outlook/Public Folders/All Public Folders/ Curriculum/Degree and Certificate_Programs/choose appropriate catalog year):

Required course for degree(s) **MATH.LA.AA, AAT.MATH**

Restricted elective for degree (s) SCI.LA.AA, SCIEX.LA.AA

Restricted electives are courses specifically listed (i.e. by name and number) as optional courses from which students may choose to complete a specific number of units required for an approved degree.

2. Is the course part of a Chancellor's Office approved **CR Certificate of Achievement**? No Yes If yes, specify all program codes that apply. (*Codes can be found in Outlook/Public Folders/All Public Folders/ Curriculum/Degree and Certificate Programs/choose appropriate catalog year*):

Req	uired	course for	certificate	(s)

Restricted elective for certificate(s)

Restricted electives are courses specifically listed (i.e. by name and number) as optional courses from which students may choose to complete a specific number of units required for an approved certificate.

- 3. **[CB24]** Is the course Stand Alone? No Yes (If "No" is checked for **BOTH** #1 & #2 above, the course is stand alone.)
- 4. [CB08] Basic Skills: NBS Not Basic Skills
- 5. [CB10] Work Experience: NWE Not Coop Work Experience
- 6. Course eligible Career Technical Education funding (applies to vocational and tech-prep courses only): No 🛛 Yes 🗌

7.	[CB23] Course eligible Economic Workforce Development funding : No 🔀 Yes 🗌 (If TOPS code has an asterisk it is indicative that the course is vocational.)
8.	[CB11] Purpose: Y Credit Course Classification Status
9.	Accounting Method: W Weekly Census
10.	[CB13] Disability Status: N Not a Special Class
11.	[CB09] Course SAM Priority Code: E Not Occupational Definitions of SAM Priority Codes
C	OURSE TRANSFERABILITY
1.	[CB05] Current Transferability Status: A Transferable to both UC and CSU
2.	[CB21] Course Prior to Transfer Level: Y Not Applicable Definitions of Course Prior to Transfer Levels
<u>c</u>	URRENT TRANSFERABILITY STATUS (Check at least one box below):
Т	his course is currently transferable to:
	Neither CSU nor UC
	CSU as general elective credit
	CSU as a specific course equivalent (see below)
<u>lo</u>	the course transfers as a specific course equivalent give course number(s)/ title(s) of one or more currently-active, equivalent ower division courses from CSU.
_	. Course Math 110 - Calculus II, Campus Humboldt State University 2. Course , Campus
	UC as general elective credit
	UC as specific course equivalent
	the course transfers as a specific course equivalent give course number(s)/ title(s) of one or more currently-active, equivalent ower division courses from UC.
	. Course Math 21B and part of Math 21C - Calculus, Campus UC Davis (quarter system) 2. Course Math 19B -
	Calculus for Science, Engineering, and Mathematics, Campus UC Santa Cruz
	PROPOSED CSU TRANSFERABILITY (Check at least one of the boxes below):
	Remove as General Education
	Propose as General Elective Credit
	Propose as a Specific Course Equivalent (see below)
	specific course equivalent credit is proposed, give course number(s)/ title(s) of one or more currently-active, equivalent <i>lower</i>
	<i>ivision</i> courses from CSU. . Course , Campus 2. Course , Campus
	ROPOSED UC TRANSFERABILITY (Check one of the boxes below):
	No Proposal
	Remove as General Education
	Propose as General Elective Credit OR Specific Course Equivalent (fill in information below) "General Elective Credit OR Specific Course Equivalent" box above is checked, give course number(s)/ title(s) of one or more
	urrently-active, equivalent <i>lower division</i> courses from UC.
1	. Course , Campus 2. Course , Campus
C	URRENTLY APPROVED GENERAL EDUCATION Check at least one box below):
<u>س</u>	Not currently approved
C	R CR GE Category:
C	SU CSU GE Category:

IGETC **IGETC Category:**

PROPOSED CR GENERAL EDUCATION (Check at least one box below):

- 🔀 No Proposal
- Remove as General Education

Review to maintain CR GE Status

Approved as CR GE by Curriculum Committee:

Not Approved

New GE Proposal

CR GE Outcomes

GE learning outcomes in Effective Communication, Critical Thinking, and Global Awareness must be addressed in all general education courses.

- Effective Communications: Explain how the proposed GE course fulfills at least one of the CR GE outcomes in this category.
- Critical Thinking: Explain how the proposed GE course fulfills at least one of the CR GE outcomes in this category.
- Global Awareness: Explain how the proposed GE course fulfills at least one of the CR GE outcomes in this category.

GE Criteria for Breadth and Generality

GE courses should be broad and general in scope. Typically such courses are introductory-- not advanced or specialized—and the content encompasses a broad spectrum of knowledge within a given field of study.

Explain how the proposed GE course fulfills GE criteria for breadth and generality.

CR GE Area Designation

Course Learning Outcomes and Course Content should provide evidence of appropriate GE Area Designation.

Additional rationale for GE Area Designation (optional):

Natural Science
Social Science
Humanities
Language and Da

Language and Rationality

Writing

Oral Communications

Analytical Thinking

PROPOSED CSU GENERAL EDUCATION BREADTH (CSU GE) (Check at least one box below):

🖄 No proposal				
A. Communications and Critical Thinking	B. Science and Math			
A1 – Oral Communication	B1 – Physical Science			
A2 – Written Communication	B2 – Life Science			
A3 – Critical Thinking	B3 – Laboratory Activity			
	B4 – Mathematics/Quantitative Reasoning			
C. Arts, Literature, Philosophy, and Foreign Language	D. Social, Political, and Economic Institutions			
C1 – Arts (Art, Dance, Music, Theater)	D0 – Sociology and Criminology			
C2 – Humanities (Literature, Philosophy, Foreign	D1 – Anthropology and Archeology			
Language)	D2 – Economics			
	D3 – Ethnic Studies			
	D5 – Geography			
	D6 – History			
E. Lifelong Understanding and Self-Development	D7 – Interdisciplinary Social or Behavioral Science			
E1 – Lifelong Understanding	D8 – Political Science, Government and Legal Institutions			
E2 – Self-Development	D9 – Psychology			
Rationale for inclusion in this General Education category:	Same as above			
Proposed Intersegmental General Education Transfer Curriculum (IGETC) (Check at least one box below):				

\boxtimes	No proposal	
] 1A – English Composition	
	1B – Critical Thinking-English Composition	
] 1C – Oral Communication (CSU requirement only)	
] 2A – Math	

	 3A – Arts 3B – Humanities 4A – Anthropology and Archaeology 4B – Economics 4E – Geography 4F – History 4G – Interdisciplinary, Social & Behavioral Sciences 4H – Political Science, Government & Legal Institution 4I – Psychology 4J – Sociology & Criminology 5A – Physical Science 5B – Biological Science 	ns				
Rationale fo	6A – Languages Other Than English Rationale for inclusion in this General Education category: Same as Above					
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Submitted E	By: Michael Butler	Tel. Ext.	4234	Date: 4/15/14		
Division Chair/Director: Tracey Thomas Review Date: 04/17/14						
••	y Curriculum Committee: No 🔲 Yes 🔀 enate Approval Date: 05.02.14	Date: 04.2 Board	5.14 of Trustees Approv	al Date: 06.03.14		